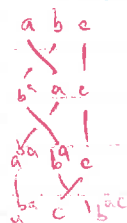


F

a 01.3X.47.89/07.12.36.9X
 b 0X.29.36.78/01.25.6X.89
 c 05.37.48.9X/07.18.4X.56
 5^a 13.28.6X.49/27.15.39.8X
 5^b 03.16.97.42/02.57.69.38
 5^c 17.24.69.8X/20.68.39.14



On the symmetry of this examples

if α, β is on a split Q
 then $\bar{\beta}, \bar{\alpha}$ is on a split \bar{Q} called
 the reflection of Q

If a, b, c are words with $ab = \alpha, bc = \beta$

then c, b, a have $cb = \bar{\beta}, ba = \bar{\alpha}$

So as far as we are concerned,
 \bar{Q} & Q give the same things

In this case, $\bar{Q} = Q$, so mirror
 image vertices give the same
 examples, as it relates (since
 the relation is achieved by duality)

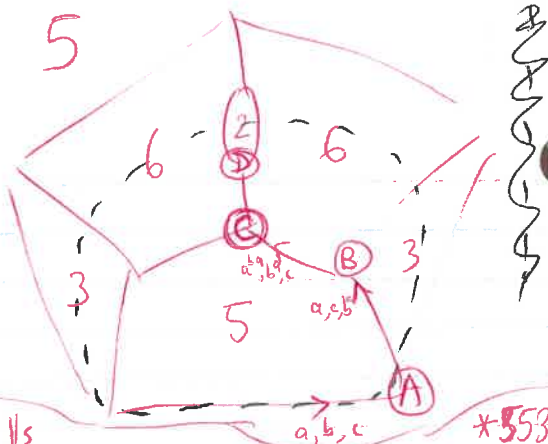
So (A), (B), (C), (D)
 give all cases.

Which is the mirror?

Swapping 1, 3 fixes (A)

Swapping 1, 3 doesn't fix (C). (Look at b in fact it takes a to c)

So (A) is our mirror, (C) not.



5 11 3
 A abcdefghi
 1*131515131X
 *5533X
 3*55X

01.3X.47.89/07.12.36.9X
 13.28.6X.49/27.15.39.8X
 05.37.48.9X/07.18.4X.56

5 11 3
 B abcdefghi
 1*131215131X
 *53332X
 3*532X

03.16.97.42/02.57.69.38
 13.28.6X.49/27.15.39.8X
 05.37.48.9X/07.18.4X.56
 C abcdefghi
 1*1351*31212X
 *1531*23121X

03.16.97.42/02.57.69.38
 17.24.69.8X/20.68.39.14
 05.37.48.9X/07.18.4X.56
 D abcdefghi
 12*321321121
 12*231211231

03.16.97.42/02.57.69.38
 17.24.69.8X/20.68.39.14
 05.37.48.9X/07.18.4X.56
 2 11 6
 12*321321121
 12*231211231

03.16.97.42/02.57.69.38
 17.24.69.8X/20.68.39.14
 05.37.48.9X/07.18.4X.56
 2 11 6
 12*321321121
 12*231211231