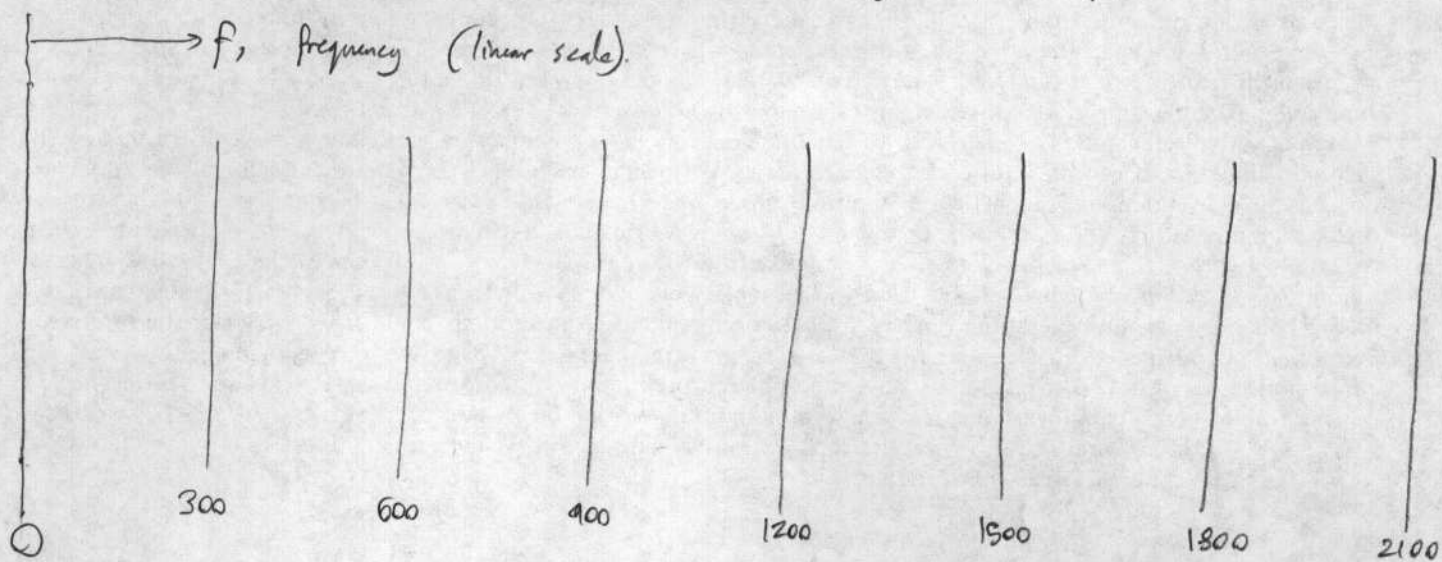


Consider the harmonic partials of a periodic signal (musical pitch) at 300Hz:



A) The major 6<sup>th</sup> above this is at 500 Hz (using 'just' tuning ratio 5:3). Add short vertical lines to the diagram giving this note's harmonic partials.

Which partials are 'dissonant'\* with the original set? (Recall if  $f_1$  and  $f_2$  are two frequencies)

\*Two pure tones are dissonant if they have a freq. difference of 10% or less (ie ratio between 0.9 to 1.1) but not exactly equal in frequency either.

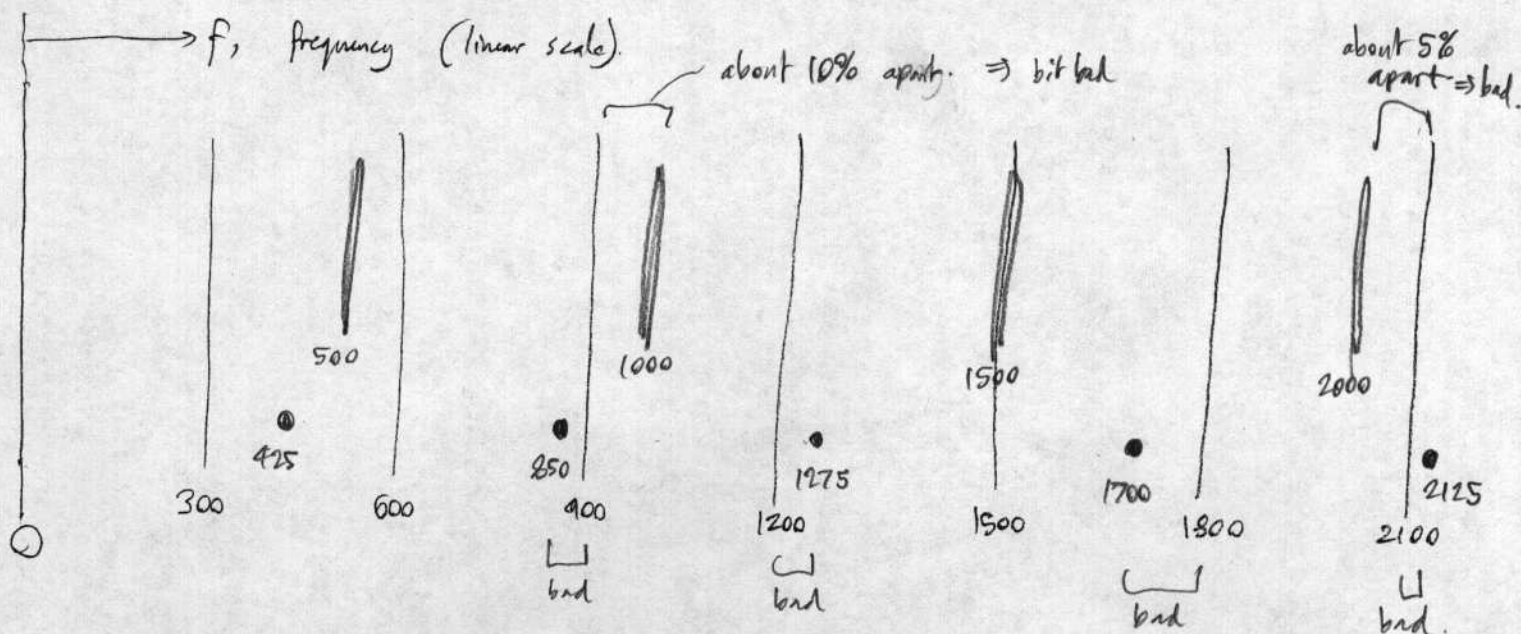
B) The 'tritone' (6 semitones) above the 300Hz is very close to 425Hz. Add its harmonic partials to the diagram using blobs (or some symbol).

Which partials are dissonant (against those of the original 300Hz)?

C) Which interval has more dissonant partials?

Which does this theory predict is more consonant?

Consider the harmonic partials of a periodic signal (musical pitch) at 300Hz:



A) The major 6<sup>th</sup> above this is at 500 Hz (using 'just' tuning ratio 5:3). Add short vertical lines to the diagram giving this note's harmonic partials.

Which partials are 'dissonant'\* with the original set? 900 & 1000; 2000 & 2100.

\* Two pure tones are dissonant if they have a freq. difference of 10% or less (ie a ratio between about 0.9 to 1.1) but not exactly equal in frequency either.

B) The 'tritone' (6 semitones) above the 300Hz is very close to 425Hz. Add its harmonic partials to the diagram using blobs (or some symbol).

Which partials are dissonant (against those of the original 300Hz)?

850, 1275, 1700, 2125, ie almost all of them!

C) Which interval has more dissonant partials? the tritone. (4 vs 2 dissonant partials)  
Which does this theory predict is more consonant? the major 6<sup>th</sup>.